

	GREV	GREQ	GRE A	N-Ach	Anx	GPA	MA	Pre		
GREV	0.81									
GRE Q	0.72	0.64								
GRE A	0.54	0.48	0.72							
N-Ach	0.00	0.00	0.42	0.49						
ANX	0.00	0.00	-0.48	-0.56	0.64					
GPA	0.38	0.34	0.55	0.34	-0.39	0.49				
MA	0.32	0.29	0.47	0.29	-0.34	0.42	0.36			
Pre	0.27	0.24	0.39	0.25	-0.28	0.35	0.30	0.25		
Means	600	650	700	5	12	3	6	5		
Sigma	80	100	50	2	4	0.5	2	3		
1)	greatest reliability is			GREV						
2)	Lowest reliability is			PRElims						
3)	GRE Ad	and PRElims		0.39						
4)	z (hat) quant = z verbal * rvq =					.72 * (680-600)/80				
5)						= 0.72				
					Quant (hat) = z(hat) quant * sigma quant + mean quant					
					= .72 * 100 + 650					
					722					
6)	r part =		(0.34-.38 * .72)/sqrt(1-.72*.72)							
		=		0.096						
		r partial =		(0.34-.38 * .72)/sqrt((1-.72*.72)*(1-.38^2))						
		r partial =		0.103						
7)	beta 1 =		(.32 - .29 * .72)/(1-.72*.72)					0.231		
		beta 2 =		(.29 - .32 * .72)/(1-.72*.72)					0.124	
		R square =		.23 * .32 + .12 * .29			=		0.108	
		R = sqrt(R square)							0.329	
8)	r = cov/sqrt(V1 * V2)									
		cov =		.32+.29			=		0.61	
		Var (V+Q) =		1+1+.72+.72			=		3.44	
		Var MA = 1								
		r =		0.61/SQRT(1*3.44)			=		0.329	

9)	unattenuated r = observed / (sqrt(rel 1 * rel 2))						
	unattenuated r	-0.39/SQRT(0.64*0.49)				-0.7	
10)	change in reliability						
		first find unattenuated, then re-attenuate					
		unattenuated r = observed / (sqrt(rel 1 * rel 2))					
		unattenuated r =	.25/sqrt(.49*.25)			0.71	
		re-attenuated = unattenuated * sqrt(rel1 * rel 2)					
	new r =	.71 * sqrt(.81* .25)				0.32	
11)	regression of true score based upon observed score						
	estimated true (as z score)= reliability * observed score (z score)						
	z true hat =	.64 * (750-650)/100				0.64	
	expected true =	z true * sigma +mean					
		.64 * 100 + 650				714	
12)	alpha =(k * average r)/(1+(k-1)*average r)						
		average r = (.42 + .35 + .30)/3				0.357	
	alpha =					0.625	
		alpha = ((Vt - Σvi)/Vt)*(k/k-1)					
		Vt =	3+2*(.42+.35+.30)			5.14	
		Σvi =	3				
		k =	3				
		alpha =	((5.14-3)/5.14)*(3/2)			0.625	
13)	r = cov/sqrt(var1 * var2)						
		cov =	1+ .42 + .35			1.77	
	r =	1.77/sqrt(5.14*1)				0.781	
14)	variance of composite = Σitem variances + 2Σitem covariances						
	Vt =	3 + 2*(.72+.54+.48)				6.48	
15)	alpha	((6.48-3)/6.48)*(3/2)				0.806	

16)	$r = \text{cov} / \sqrt{\text{var1} * \text{var2}}$								
		cov =	0.38	0.34	0.55	=	3.25		
			0.32	0.29	0.47				
			0.27	0.24	0.39				
	var 1 =	1.00	0.72	0.54			6.48		
		0.72	1.00	0.48					
		0.54	0.48	1.00					
	var 2 =	1.00	0.42	0.35			5.14		
		0.42	1.00	0.30					
		0.35	0.30	1.00					
	r =	$3.25 / \sqrt{6.48 * 5.14}$					0.563		
17)	10 item test, all variances = 1, $\bar{r} = .15$								
	variance = $k + k*(k-1) * \text{av covariance}$								
		$10 + 90 * 0.15$					23.5		
	alpha =	$k * \text{av } r / (1 + (k-1) \text{ av } r)$							
		$10 * .15 / (1 + (10-1) * .15)$					0.638		
	alpha =	$((V_t - \sum v_i) / V_t) * (k / (k-1))$							
		$((23.5 - 10) / 23.5) * (10 / 9)$					0.638		
18)	alpha =	$k * \text{av } r / (1 + (k-1) \text{ av } r)$							
		$10 * .2 / (1 + (10-1) * .2)$					0.714		
		variance = $k + k*(k-1) * \text{av covariance}$							
		$10 + 90 * 0.20$					28		
		covariance with other test							
		$10 * 10 * .1$					10		
	correlation =	$10 / \sqrt{28 * 23.5}$					0.39		
	corrected for attenuation:								

			$.39/\sqrt{.714*.638}$		0.578		
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